

Списък на цитиранията на Николай Николов

Общо 308 цитирания. С \circ^* са отбелязани 149 цитирания в списания с IF, а с \circ^\diamond още 39 цитирания в издания, индексирани в WoS и/или Scopus. 35 цитирания в 18 чуждестранни дисертации.

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